

# 5 Grade 5 Math

## Category 1 – Numerical Representations & Relationships

### PLACE, PLACE VALUE, AND VALUE OF A DIGIT

Find **place** starting at decimal; **digit's value = digit x place value**

**Example:** In 921,154,803.637, the value of 7 is  $7 \times 0.001 = 0.007$

Place	Place Value	Digit	Digit's Value
hundred millions	100,000,000	9	900,000,000
ten millions	10,000,000	2	20,000,000
millions	1,000,000	1	1,000,000
hundred thousands	100,000	1	100,000
ten thousands	10,000	5	50,000
thousands	1,000	4	4,000
hundreds	100	8	800
tens	10	0	0
ones	1	3	3
tenths	0.1	6	0.6
hundredths	0.01	3	0.03
thousandths	0.001	7	0.007

**expanded notation:** expression that adds each digit's value

**Examples:** two and twelve thousandths:  $2.012 = 2 + 0.01 + 0.002$   
 sixty-seven hundredths:  $0.67 = 0.6 + 0.07$   
 five million three and two tenths:  $5,000,003.2 = 5,000,000 + 3 + 0.2$

### COMPARING, ORDERING, ROUNDING DECIMALS

- Line up the same place values in columns by aligning the decimals.
- Starting from the left, compare the digits in each column.
- If the digits in a column are the same, go to the next column (right) and compare. Do this until a column has different digits.
- Compare the different digits in that column. The larger digit is larger.

**Example:**  $6.08 \text{ ? } 6.079$   
 $6.08$  ← Wrong, decimals are not aligned.  
 $6.079$

**rounding:** used to estimate values to a certain place

**Examples:** If digit to right of rounding place is 5 or greater, round up. If digit to right < 5, round down.

Number	Round to	Because ...
15.867	ones	digit of 8 is $\geq 5$
0.003	hundredths	digit of 3 is $< 5$
9.051	tenths	digit of 5 is $\geq 5$
2.196	hundredths	digit of 6 is $> 5$

### PRIME AND COMPOSITE NUMBERS

Two numbers multiply together to make a product. Example: 3 and 9 are a factor pair of 63

**prime number:** a number that has only two factors: 1 and itself. Example: 2, 3, 5, 7, 11, 13, 17, 19, 23

**composite number:** a number that has more than two factors. Example: 573 is not prime, has more than two factors: 1, 3, 191, and 573

**factor tree:** complete number's factors shown until only prime numbers remain

**Example:** Circle the prime numbers. 972 57 59 81 13 27 49 23 2 5

## NUMERICAL EXPRESSIONS AND SIMPLIFICATION

**parentheses ( ): used to group an expression** Example:  $(3 - \frac{1}{2})$

**brackets [ ]:** used to group an expression that includes one or more groups in parentheses. Example:  $2[10(\frac{1}{2} - \frac{1}{3}) + 5]$

There are many ways to indicate multiplication: the **x** sign, the **•** sign, and with no symbol (as in  $6(5 - \frac{1}{2})$  or  $6(5 - \frac{1}{2})$ )

**Examples:**  $2 \times 3 = 2 \cdot 3 = 2(3) = 2(3)$   
 $\frac{1}{2}(100 - 22)$  is half of 100 minus 22.  $5(3)$  is 5 times larger than 3.

To **simplify** an expression, use the **order of operations:** start from the "inside" and work outward:

1. Parentheses
2. Brackets
3. Multiplication (left to right)
4. Addition and subtraction (left to right)

**Examples:** Simplify  $2(4 + 6) - 3(5 - \frac{1}{2})$   
 $2(10) - 3(4.5) = 20 - 13.5 = 6.5$   
 Simplify  $3(9 - 4 \times 2 + 18) \div 3$   
 $3(9 - 8 + 18) \div 3 = 3(9) \div 3 = 27 \div 3 = 9$

## Category 2 – Computational Skills & Algebraic Relationships

### WORKING WITH POSITIVE RATIONAL NUMBERS

Before performing operations, convert numbers to same form.

From	To	Conversion Method
whole number	fraction	put the whole number over 1 ( $5 = \frac{5}{1}$ )
decimal	fraction	put digits to right of decimal point as numerator; use smallest place value for denominator; any whole number portion remains whole ( $2.15 = 2\frac{15}{100}$ )
fraction	decimal or whole number	divide numerator by denominator (if evenly divisible, answer is whole number) $\frac{a}{b} = n + \frac{d}{b}$ or $d \div b$ ( $\frac{3}{2} = 0.6$ )
fraction	equivalent fraction	multiply or divide both numerator and denominator by same non-zero number ( $\frac{1}{2} = \frac{5 \times 1}{2 \times 1} = \frac{5}{2}$ ; $\frac{215}{100} = \frac{215 \div 5}{100 \div 5} = \frac{43}{20}$ ; $\frac{6}{10} = \frac{6 \div 2}{10 \div 2} = \frac{3}{5}$ )
mixed number	improper fraction	convert whole number to equivalent fraction with same denominator as fraction part and add ( $2\frac{15}{100} = \frac{200}{100} + \frac{15}{100} = \frac{215}{100}$ )
improper fraction	mixed number	divide $d \div n$ ; quotient is mixed number's whole part; remainder over divisor is fraction part ( $\frac{7}{2} \rightarrow 2 \frac{1}{2}$ )

### ADDITION AND SUBTRACTION PROBLEMS

**Example:**  $4\frac{1}{2} + 3\frac{1}{3} = 4\frac{2}{4} + 3\frac{1}{3} = 4\frac{2}{4} + 3\frac{1}{3} = 7\frac{2}{12} + 3\frac{4}{12} = 10\frac{6}{12} = 10\frac{1}{2}$   
 $4\frac{1}{2} - 3\frac{1}{3} = 4\frac{2}{4} - 3\frac{1}{3} = 4\frac{2}{4} - 3\frac{1}{3} = 1\frac{2}{12} - \frac{4}{12} = 1\frac{-2}{12} = 1 - \frac{1}{6} = \frac{5}{6}$   
 Total =  $4\frac{1}{2} + 3\frac{1}{3} = 7\frac{2}{3} = 8\frac{2}{3}$   
 Total =  $4.75 - 0.8 = 3.95$   
 Total =  $4.75 + 3.95 = 8.7$

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